## Dictionary between probabilistic and set vocabularies

Let $(\Omega, \mathcal{A}, \mathbb{P})$ be a probability space. Consider $A, B \in \mathcal{A}$ and $\left(A_{n}\right)_{n \geq 1} \in \mathcal{A}^{\mathbb{N}^{*}}$ events and $\omega \in \Omega$.

| Probabilistic/modelling vocabulary | Set vocabulary |
| :---: | :---: |
| The set of all events | $\mathcal{A}$ |
| Universe / certain event | $\Omega$ |
| Outcome | $\omega$ |
| $A$ is realized (by the outcome $\omega$ ) | $\omega \in A$ |
| The impossible event (which never happens) | $\varnothing$ |
| The event " $A$ or $B$ happens" | $A \cup B$ |
| The event " at least one of the $A_{i}$ 's happens" | $\bigcup_{i=1}^{\infty} A_{i}$ |
| The event " $A$ and $B$ happen" | $A \cap B$ |
| The event " all the $A_{i}$ happen" | $\bigcap_{i=1}^{\infty} A_{i}$ |
| The event " $A$ does not happen" | $A^{c}$ |
| $A$ are $B$ are incompatible | $A \cap B=\varnothing$ |
| Implication: if $A$ happens, then $B$ happens | $A \subset B$ |
| $A$ is almost sure/ almost surely $A$ happens | $\mathbb{P}(A)=1$ |
| $A$ is negligeable | $\mathbb{P}(A)=0$ |
| Something random | a function of $\omega$ |

